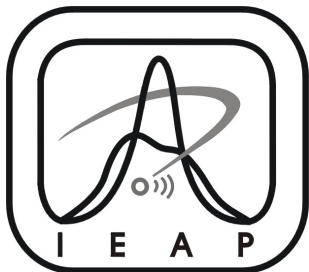


# top-BESS model extended by 125 GeV scalar

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Josef Juráň (SU)

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<sup>1)</sup> Česko-Slovenská fyzikálna republika

# The scene

ESB mechanism ... ???

BSM physics ... ???

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125 GeV boson

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- SM compatible
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weak cplng  
(SUSY)

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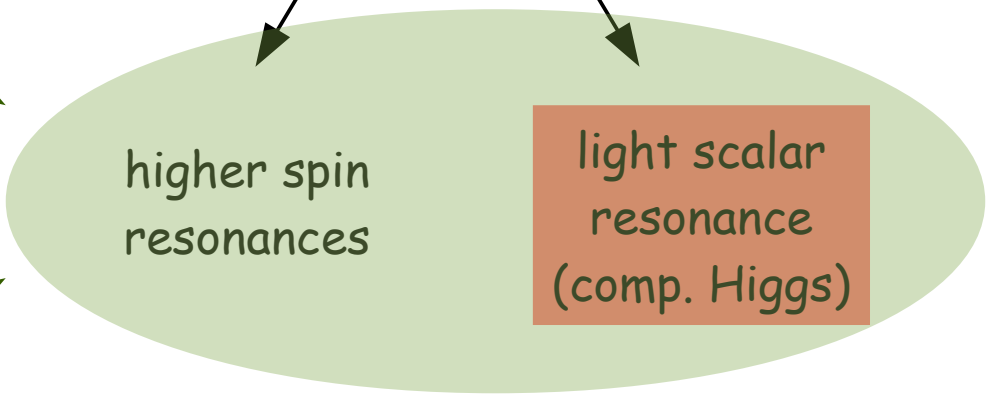
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naturalness argument ?

weak cplng  
(SUSY)

strong cplng  
(TC)

bound states



unitarity



# Effective Field Theory

Why?

- experiment-theory bridge
- unifying description for the classes of models

How?

- symmetry
- particle contents
- model-dependent assumptions

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particles: SM fermions  
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SM gauge bosons  
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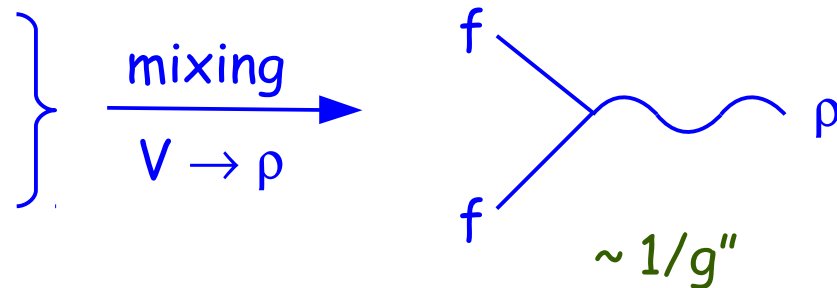
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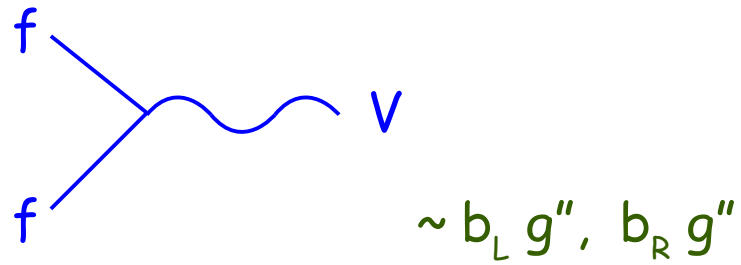
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# Direct interactions to fermions

BESS:

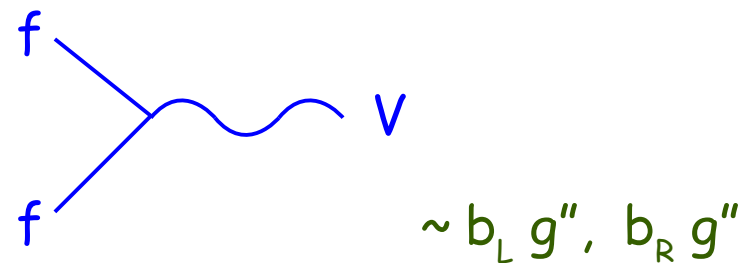
- chiral
- universal



# Direct interactions to fermions

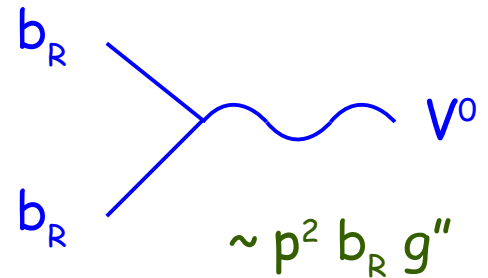
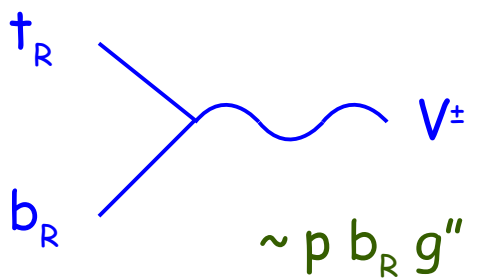
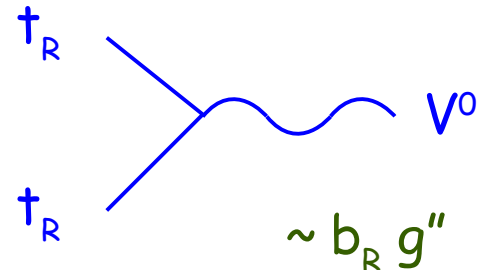
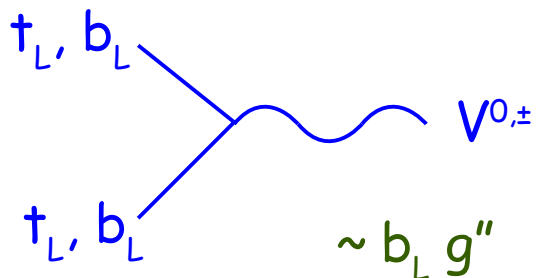
## BESS:

- chiral
- universal



## top-BESS:

- chiral
- top, bottom only



# Motivation

- restrictions from precision measurements
- special role of top quark (3<sup>rd</sup> quark generation)
- $Z \rightarrow b\bar{b}$
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some p.c. models:

$$m_f \propto \epsilon_L \epsilon_R$$

$$\left. \begin{array}{l} \epsilon_L^{b,t} \propto b_L \\ \epsilon_R^t \propto b_R \\ \epsilon_R^b \propto p b_R \end{array} \right\}$$

$$\frac{m_b}{m_t} = p \approx 0.03$$



# Lambda terms

$$I_b^h(\psi_h) = i\bar{\chi}_h [\not{\partial} + \not{V} + ig' \not{B}(B - L)/2] \chi_h,$$

$$\begin{aligned} I_\lambda^h(\psi_h) &= i\bar{\chi}_h \not{\varphi}^\perp \chi_h \\ &= i\bar{\chi}_h \left[ \not{\varphi}^\perp + (\xi_L^\dagger \not{W} \xi_L - \xi_R^\dagger \not{B}^{R3} \xi_R)/2 \right] \chi_h, \end{aligned}$$

$$h = L, R$$

# tBESS with the scalar resonance

particles: SM fermions  
+  
SM gauge bosons  
+  
 $SU(2)_{L+R}$  vector triplet  
+  
125 GeV scalar

$$\begin{aligned}\mathcal{L}_{\text{ESB}} = & \frac{1}{2}\partial_\mu h \partial^\mu h - \frac{1}{2}M_h^2 h^2 \\ & + \frac{1}{2} \left( M_Z^2 Z_\mu Z^\mu + 2M_W^2 W_\mu^+ W^{-\mu} \right. \\ & \quad \left. + M_{V^0}^2 V_\mu^0 V^{0\mu} + 2M_{V^\pm}^2 V_\mu^\pm V^{-\mu} \right) \\ & \times \left( 1 + 2a\frac{h}{v} + a'\frac{h^2}{v^2} + \dots \right),\end{aligned}$$

$$\mathcal{L}_{\text{ferm}}^{\text{scalar}} = -\frac{1}{v} \sum_i (\bar{\psi}_L^i M_f^i \psi_R^i) \left( 1 + c_i \frac{h}{v} + c'_i \frac{h^2}{v^2} + \dots \right)$$

$$\text{SM: } a = c_i = 1, \quad a' = c'_i = \dots = 0$$

# Unitarity

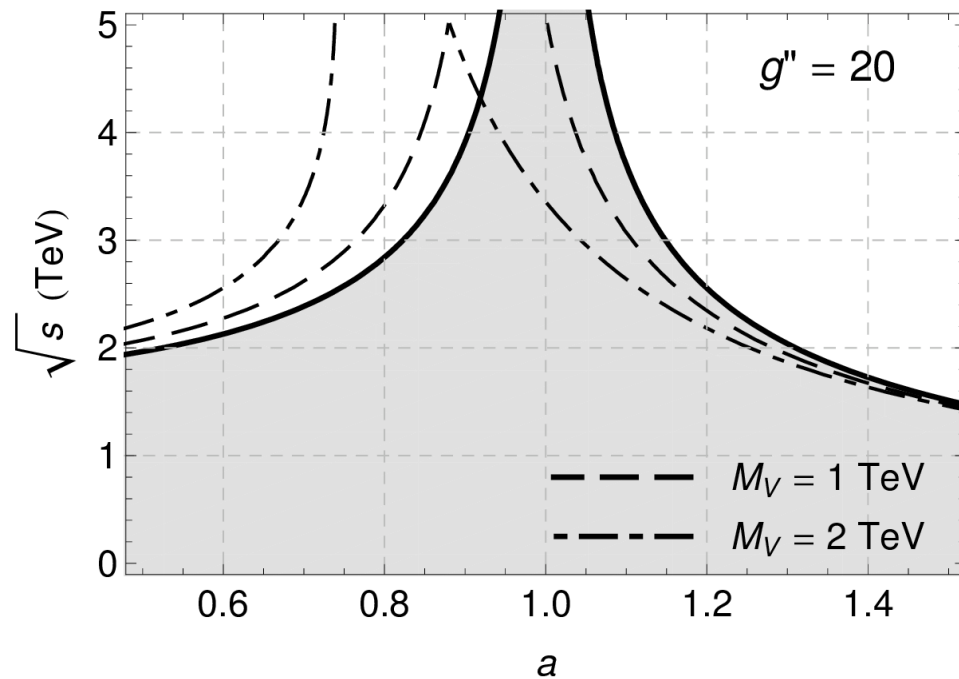
EW gauge boson scattering:

- SM Higgs  $\rightarrow$  unitarity **holds** for all energies
- nonSM Higgs ( $a \neq 1$ )  $\rightarrow$  unitarity **violated** at some energy

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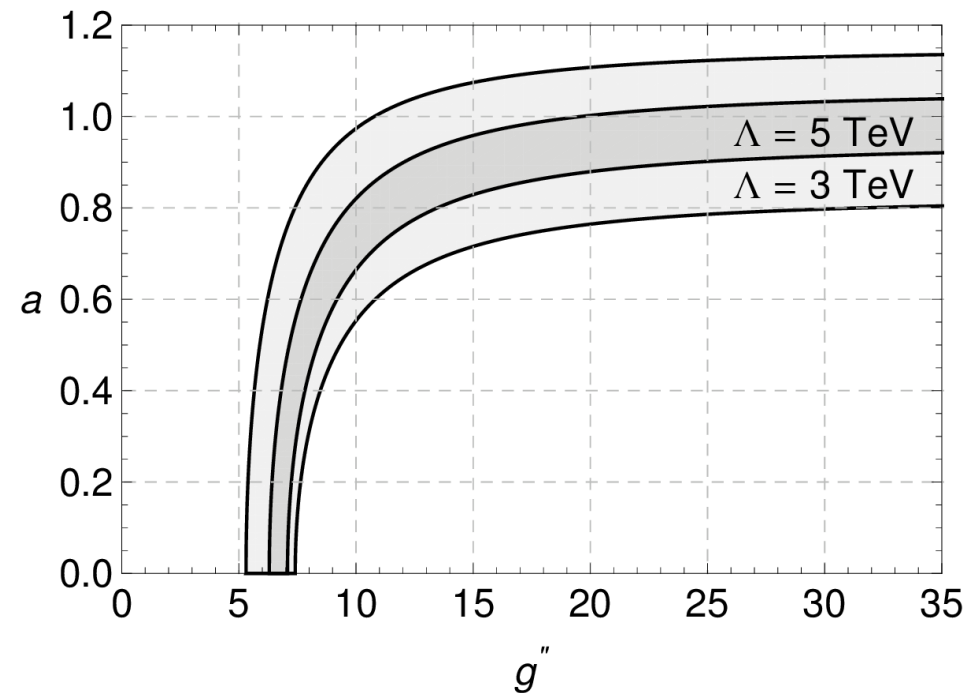
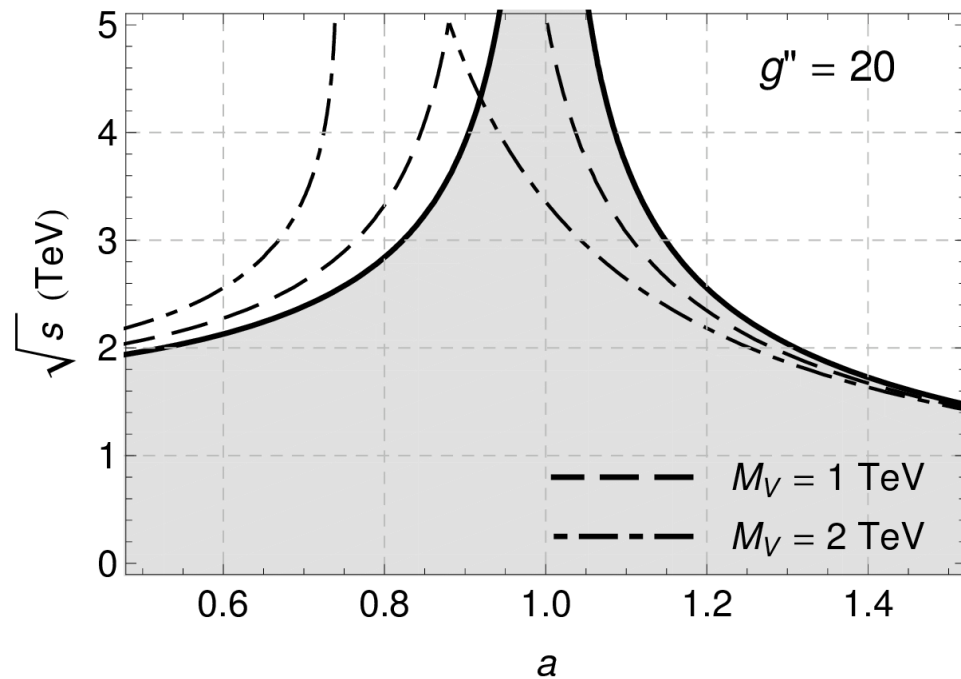
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# The low-energy data analysis

- LE Lagrangian:  $M_p \rightarrow \infty$ ,  $g''$  fixed
- free params:  $a$ ,  $x=g/g''$ ,  $p$ ,  $\Delta L=b_L-2\lambda_L$ ,  $\Delta R=b_R+2\lambda_R$
- observables:  $\varepsilon_1, \varepsilon_2, \varepsilon_3, \Gamma_b(Z \rightarrow b\bar{b}), BR(B \rightarrow X_s \gamma)$

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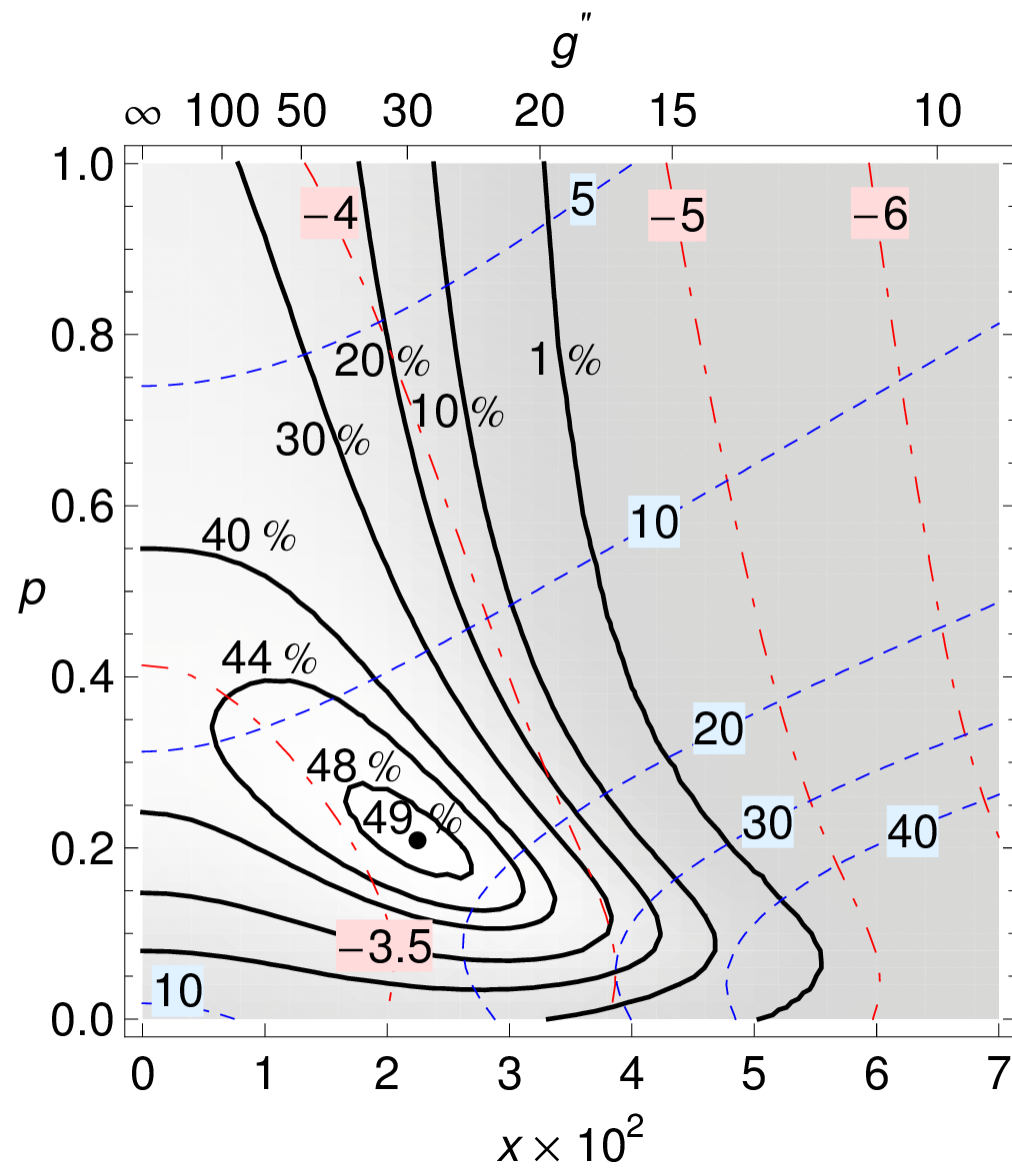
$\chi^2$ -fit:

$$\text{d.o.f.} = \# \text{obs} - \# \text{params}$$

$$\# \text{obs} = 5$$

$$\alpha = 1 \Rightarrow \# \text{params} = 4$$

# The best fit values



$\Lambda = 1 \text{ TeV}$

$$g'' = 29$$

$$p = 0.209$$

$$\Delta L = -0.004$$

$$\Delta R = +0.016$$



# Outlooks

## *towards experiment*

- parameter restrictions
- CompHEP
- signal analysis

## *towards theory*

- model building tool
- observable calc.